EDS-TEM quantification of core shell nanoparticles

- Using machine learning methods, the composition of embedded nanostructures can be accurately measured
- Demonstrated by D. Roussow et al., Nano Letters, 2015
 - See the <u>full article</u> for details
- Using the same data, this notebook reproduces the main results of this article





Credits

- This notebook was originally written by Pierre Burdet in 2015, with subsequent edits by:
 - Duncan Johnstone 2016
 - Francisco de la Peña 2016
 - Pierre Burdet 2016
 - Andy Herzing and Josh Taillon 2018
- Requires HyperSpy v1.3+







1. Specimen & Data

The sample and the data used in this tutorial are described in D. Roussow, et al., Nano Letters, In Press (2015) (see the <u>full article</u>).

FePt@Fe₃O₄ core-shell nanoparticles are investigated with an EDS/TEM experiment (FEI Osiris TEM, 4 EDS detectors). The composition of the core can be measured with ICA (see figure 1c). To prove the accuracy of the results, measurements on bare FePt bimetallic nanoparticles from a synthesis prior to the shell addition step are used.





Figure 1: (a) A spectrum image obtained from a cluster of core-shell nanoparticles. (b) The nanoparticles are comprised of a bi-metallic Pt/Fe core surrounded by an iron oxide shell on a carbon support. (c) ICA decomposes the mixed EDX signals into components representing the core (IC#0), shell (IC#1) and support (IC#2).





2. Loading the data

Import HyperSpy, numpy and matplotlib libraries

In [2]:

%matplotlib nbagg
import hyperspy.api as hs
import numpy as np



Load the spectrum images of the bare seeds and the core shell nanoparticles.



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Plot the intensity of Fe K α and Pt L α lines:

X-ray line intensity of









3. Blind source separation of core/shell nanoparticles

Apply blind source separation (ICA) to obtain a factor (spectrum) corresponding to the core.

In [6]:

Have to change datatype to float for decomposition: cs.change_dtype('float') cs.decomposition()









ICA on the three first components.

In [8]: cs.blind_source_separation(3)
In [9]: axes = cs.plot_bss_loadings()



cs.plot_bss_factors()



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The first component corresponds to the core.











4. Representative spectrum from bare cores

We meed to obtain a representative spectrum of the bare nanoparticles so we can compare to the BSS component

We can mask the low intensity of the Pt L α signal:

In [13]: pt_la = c.get_lines_intensity(['Pt_La'])[0] mask = pt_la > 6





Visualizing the mask:

In [14]: axes = hs.plot.plot_images(hs.transpose(*(mask, pt_la * mask)), axes_decor='off', colorbar=None, label=['Mask', 'Pt L\${\\alpha}\$ intensity'], cmap='viridis')



Pt L α intensity







Applying the mask:

• mask is a Signal containing boolean values, but it is 2D, not 3D:

```
In [15]: print(mask.data.shape)
         mask.data
         (84, 84)
Out[15]: array([[False, False, False, ..., False, False, False],
                [False, False, False, ..., False, False, False],
                [False, False, False, ..., False, False, False],
                •••,
                [False, False, False, ..., False, False, False],
                [False, False, False, ..., False, False, False],
                [False, False, False, ..., False, False, False]], dtype=bool)
```



• To apply the mask, we can just multiply the signals together thanks to numpy's array broadcasting:

In [16]: c_masked = c * mask

In [17]: c_masked.plot()





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The sum over the masked particles is used as a bare core spectrum:











5. Comparison and quantification

We stack together the spectrum of bare particles and the first ICA component:

In [20]: s_bare.change_dtype('float') s = hs.stack([s_bare, s_bss], new_axis_name='Bare or BSS') s.metadata.General.title = 'Bare or BSS'









Comparison method 1 – net intensity calculation

X-ray intensities measurement with background subtraction









Refinement of the windows position.

In [24]:	W			
Out[24]:	array([[5.99958948,	6.13435965,	6.67344035,	6.80821052],
	[8.96061636,	9.1211109 ,	9.7630891 ,	9.92358364]])
In [25]:	w[1, 0] = 8.44 w[1, 1] = 8.65 W			
Out[25]:	array([[5.99958948,	6.13435965,	6.67344035,	6.80821052],
	[8.44 ,	8.65 ,	9.7630891 ,	9.92358364]])









```
sI = s.get_lines_intensity(background_windows=w)
In [27]:
         sI
Out[27]: [<BaseSignal, title: X-ray line intensity of Bare or BSS: Fe_Ka at 6.40 keV, dimensions: (2|)>,
          <BaseSignal, title: X-ray line intensity of Bare or BSS: Pt_La at 9.44 keV, dimensions: (2|)>]
```

Comparing the ratio of Fe intensity to Pt:







Comparison method 2 – model fitting

Measure X-ray intensity by fitting a Gaussian model

In [29]:



In [30]:

Create a model based off a cropped area of signal: m = s.isig[5.:15.].create_model()





6.7

Add background copper and cobalt elements:

In [31]: m.add_family_lines(['Cu_Ka', 'Co_Ka'])

Contents of the model:

In [32]:	m.compo	onents		
Out[32]:	#	Attribute Name	Component Name	Component Type
	0	background order 6	background order 6	Polynomial
	1	Fe Ka	 Fe Ka	Gaussian
	2	Fe Kb	Fe Kb	Gaussian
	3		Pt La	Gaussian
	4			Gaussian
	5		Pt Lb4	Gaussian
	6		Pt Ln	Gaussian
	7	Pt Ll	Pt Ll	Gaussian
	8			Gaussian
	9	Pt Lb3	Pt Lb3	Gaussian
	10	Pt_Lg3	Pt_Lg3	Gaussian
	11	Pt_Lg1	Pt_Lg1	Gaussian
	12	Cu_Ka	Cu_Ka	Gaussian
	13	Cu_Kb	Cu_Kb	Gaussian
	14	Co_Ka	Co_Ka	Gaussian
	15	Co Kb	Co Kb	Gaussian





In [33]: m.plot(plot_components=True)









Fitting the model at all locations of the signal is a simple one line command:

In [34]: m.multifit(show_progressbar=False)

In [35]:

m.plot(plot_components=True)









The background is fitted separately:

In [36]: m.fit_background()

In [37]: m.calibrate_energy_axis()

In [38]: m.plot()











Finally, we probe line intensity from the fitted model:

In [39]:	sI = m.get_lin sI	nes_inte	ensity()[:2	2]										
Out[39]:	[<basesignal,< th=""><th>title:</th><th>Intensity</th><th>of</th><th>Fe_Ka</th><th>at</th><th>6.40</th><th>keV</th><th>from</th><th>Bare</th><th>or</th><th>BSS,</th><th>dimensions:</th><th>(2)>,</th></basesignal,<>	title:	Intensity	of	Fe_Ka	at	6.40	keV	from	Bare	or	BSS,	dimensions:	(2)>,
	<basesignal,< td=""><td>title:</td><td>Intensity</td><td>of</td><td>Pt_La</td><td>at</td><td>9.44</td><td>keV</td><td>from</td><td>Bare</td><td>or</td><td>BSS,</td><td>dimensions:</td><td>(2)>]</td></basesignal,<>	title:	Intensity	of	Pt_La	at	9.44	keV	from	Bare	or	BSS,	dimensions:	(2)>]

Set up the kfactors for Fe K α and Pt L α .

In [40]: #From Bruker software (Esprit) kfactors = [1.450226, 5.075602]







6. Going further

Further image processing with <u>scikit-image</u> and <u>scipy</u>. Apply a watershed transformation to isolate the nanoparticles.

- Transform the mask into a distance map.
- Find local maxima.
- Apply the watershed to the distance map using the local maximum as seed (markers).

Adapted from this scikit-image <u>example</u>.







In [43]: from scipy.ndimage import distance_transform_edt, label from skimage.morphology import watershed from skimage.feature import peak_local_max

Perform watershed segmentation:

In [44]: distance = distance_transform_edt(mask.data) local_maxi = peak_local_max(distance, indices=False, min_distance=2, labels=mask.data) labels = watershed(-distance, markers=label(local_maxi)[0], mask=mask.data)





Plot the results:

In [45]: axes = hs.plot.plot_images(
 [pt_la.T, mask.T, hs.signals.Signal2D(distance), hs.signals.Signal2D(labels)],
 axes_decor='off', per_row=2, colorbar=None, cmap=['RdYlBu_r', 'Set1_r'],
 label=['Pt L\${\\alpha}\$ intensity', 'Mask',
 'Distances', 'Separated particles'])





Distances





Mask

Separated particles









Questions?

Next demo: tomotools

